# What drives employment cycles in U.S. states & metros?

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Presentation to Denver Association of Business Economists Denver, May 9, 2018

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#### Introduction and overview

- Three facts
  - The U.S. economy has become more globalized over time
  - Not all states are equally globalized: Differences in geography; Differences in industry mix
  - Business cycles differ across states
- How much of state-level employment fluctuations can be explained by global and national macroeconomic business cycles?
- About a quarter of employment fluctuations can be explained by global business cycle alone on average (across states)
  - Big differences across individual U.S. states.
- Trace the contribution of global and national shocks over time to state employment growth
  - Focus on 3rd and 11th Federal Reserve Districts

#### Globalization of the U.S. economy



#### State export shares in 2016 vs 1996

Percent



# Employment growth: U.S. and all states range



#### Decomposing employment growth

- Assumptions underlying our approach:
  - Global foreign output aggregate is driven by global shocks
  - National (U.S.) output and employment are driven by global shocks + national shocks
  - State-level employment driven by global shocks + national shocks + residual statespecific shocks
- Attribute state-level employment fluctuations not explained by global shocks or national shocks to a residual state-specific shock
  - Does not necessarily mean that these developments must solely originate from within the state

#### Model

- Country-specific model (all countries other than the U.S.):
  - $y_{it} = c_{yi} + \sum_{l=1}^{p} \theta_{i,l} y_{i,t-l} + a_{i,0} y_t^* + \sum_{l=1}^{p} a_{i,l} y_{t-l}^* + e_{i,t}$
  - N-1 countries
- US model (country N):
  - $z_{Nt} = c_{zi} + \sum_{l=1}^{p} \Theta_{N,l} z_{N,l} + a_{N,0} y_{t}^{*} + \sum_{l=1}^{p} a_{N,l} y_{t-l}^{*} + e_{N,t}$
- where  $z_{Nt} = (y_{Nt}, h_t)'$ ,  $y_t^* = N^{-1} \sum_{i=1}^N y_{it}$  (global growth factor proxy)
- State-specific model:
  - $h_{j,t} = c_{hj} + \sum_{l=1}^{p} \psi_{jl} h_{j,t-l} + \lambda'_{j0} z_{Nt} + \sum_{l=1}^{p} \lambda'_{jl} z_{N,t-l} + \alpha_{j0} y_t^* + \sum_{l=1}^{p} \alpha_{j,l} y_{t-l}^* + \varepsilon_{jt}$

#### Model (continued)

• Global output model:

• 
$$y_t^* = c_y + \sum_{l=1}^p \rho_l y_{t-l}^* + v_t$$

### Share of state employment variation explained by global, national and residual state-specific shocks



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### Share of state employment variation explained by global, national and residual state-specific shocks



#### Summary

- Global business cycle *alone* explains about 25 percent of employment fluctuations, on average
  - Large differences across states
  - Range from a low of 0.3 percent in Alaska to 42.6 percent in Illinois
  - Texas: 34.9 percent; Pennsylvania: 37.5 percent
- Global and national business cycles *together* explain about 56 percent of employment fluctuations, on average
- About 44 percent of employment fluctuations (on average) cannot be accounted for by the global and national business cycles
  - Range from a low of 18.5 percent in North Carolina to 91.9 percent in DC
  - Texas: 40.3 percent; Pennsylvania: 22.1 percent

### Exports alone explain little of the cross-state differences in share of state employment variance explained by the global shock



#### Industry composition explains some of the state differences



#### Oil price swings



#### Oil prices as an explanation of statelevel employment fluctuations

- Oil prices alone can (unconditionally) explain:
  - About 12% of fluctuations in foreign economies aggregate real output
  - About 5% of fluctuations in the U.S. output, and about 8% of fluctuations in the U.S. national employment
  - About 15% of fluctuations in the Texas employment
- Oil prices and global/national/state output and employment variables are jointly determined (interdependent), and therefore the results above are likely over-estimating the importance of oil market developments.

### Cumulative one year effect of a 0.5% negative global foreign output shock on states' employment growth



### Cumulative one year effect of a 1% negative national U.S. output shock on states' employment growth













### Share of metro area employment variation explained by global, national and residual MSA-specific shocks



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## Cumulative one year effect of a 0.5% negative global foreign output shock on MSAs' employment growth



### Cumulative one year effect of a 1% negative national U.S. output shock on MSAs' employment growth



#### Summary and conclusions

- Global business cycle explains a non-trivial part of state-level employment fluctuations (about a quarter on average)
- Impact of shocks vary across states
  - Global and national business cycles have contributed in varying amounts to Texas and Pennsylvania's employment growth
  - A slow global recovery has held back these states' employment growth since 2012, while national factors have contributed to it
  - A 0.5% negative shock to global output leads to a total loss of 111,652 jobs in Texas, and 41,411 jobs in Pennsylvania, one year after the shock
- Further research is needed to explain why states are impacted differently
  - International trade is but one of the channels through which states are impacted by global economic developments

### Model

• Global output model:

• 
$$y_t^* = \theta^* y_{t-1}^* + u_t^*$$

• US model:

$$\bullet \begin{bmatrix} y_{Nt} \\ \bar{e}_t \end{bmatrix} = \boldsymbol{q}_t = \boldsymbol{\Theta}_N q_{t-1} + \boldsymbol{b}_{N0} y_t^* + \boldsymbol{b}_{N1} y_{t-1}^* + \boldsymbol{u}_{Nt}$$

• State-specific model:

• 
$$e_{j,t} = \psi_j e_{j,t-1} + \lambda'_{j0} q_t + \lambda'_{j1} q_{t-1} + \beta_{j0} y_t^* + \beta_{j1} y_{t-1}^* + v_{j,t}$$